

Intermediated Dollar Lending of Last Resort:  
from Dollar Safety to Treasury Fragility

Ding Ding  
MIT

Karen K. Lewis  
Wharton, NBER, and CEPR

Yao Zeng  
Wharton and NBER

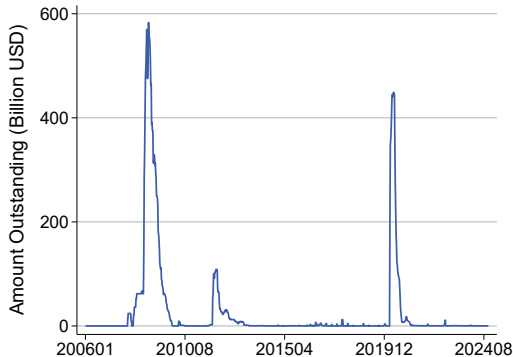
September 26, 2025

## Dollar Dominance and Global Dollar Lending of Last Resort (LoLR): Background

- Dollar dominance in foreign (developed) economies leads to a demand for dollar assets
  - Dollar dominance in trade invoicing (e.g., Gopinath/Stein 21)
  - Dollar dominance in financial transactions (e.g., Coppola/Krishnamurthy/Xu 24)
- Lacking dollar deposits, foreign banks rely on wholesale dollar funding yet vulnerable to (both systemic and idiosyncratic) dollar funding shocks
  - Runs on MMFs (e.g., Ivashina/Scharfstein/Stein 15, Schmidt/Timmermann/Wermers 16)
  - Retreat of prime funds after the 2016 MMF Reform (e.g., Anderson/Du/Schlusche 21)
  - Reluctance of global banks in providing dollar liquidity (e.g., Correa/Du/Liao 22)
- “Scrambling for dollars” during both crisis and normal times

## Economic Significance of Dollar LoLR and Short-Term Implications

- U.S. Fed's dollar swap lines as a committed global dollar LoLR
  - Helps to reduce CIP deviations (Bahaj/Reis 20)
  - Helps to stabilize dollar appreciation (Kekre/Lenel 22)
  - Helps to stabilize U.S. Treasuries (Duffie 23)



Data: FRED

## Contribution: Long-Term Implications of Intermediated Dollar LoLR

What are the **long-term** implications on global banking, and ultimately, the U.S.?

## Contribution: Long-Term Implications of Intermediated Dollar LoLR

What are the **long-term** implications on global banking, and ultimately, the U.S.?

- Compositional shift in foreign Treasury holdings from more to less stable hands

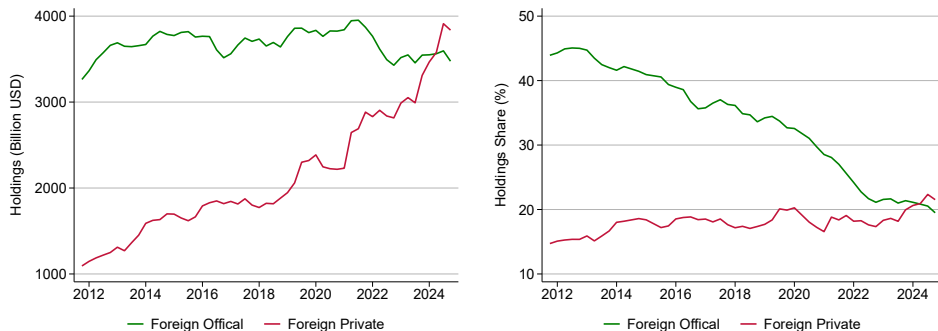


Figure plots foreign holdings of long-term Treasuries by official and private investors (left), divided by total long-term Treasuries outstanding, excluding those held by the Federal Reserve (right). Sources: Treasury MSPD, Treasury TIC, FRED.

## Contribution: Long-term Implications of Intermediated Dollar LoLR

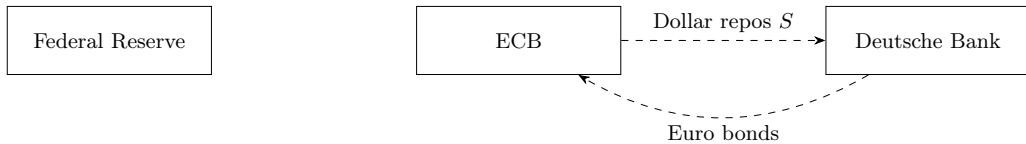
This paper: Formulate the idea of dollar safety to Treasury fragility in several steps

- ① Some more basics of intermediated dollar LoLR
  - Conceptualizing dollar LoLR as the Fed's commitment
- ② Stylized facts on intermediated dollar LoLR
  - Substitution between private FX swaps and dollar LoLR
  - Substitution between central bank dollar reserves and dollar LoLR; hinting long-term effects
- ③ A model of intermediated dollar LoLR with headline results:
  - Encourages private dollar debt; crowds out official dollar reserves
  - Unintended compositional changes in Treasury holdings overseas: more private, less official
  - Not just standard moral hazard as in discount window or bailouts; intermediation chain matters

## Basics: Intermediated Dollar LoLR

## Intermediated Dollar LoLR: How It Works

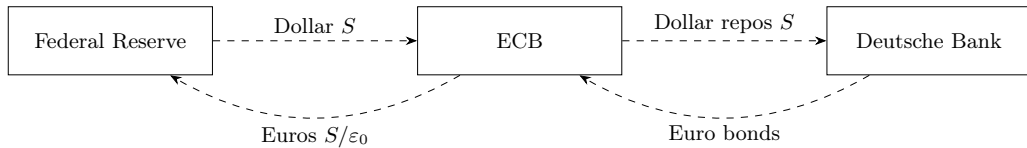
- At time  $t = 0$ :





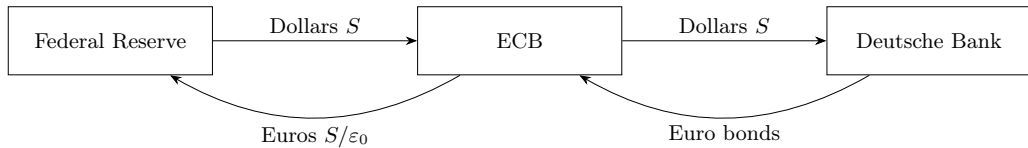
## Intermediated Dollar LoLR: How It Works

- At time  $t = 0$ :



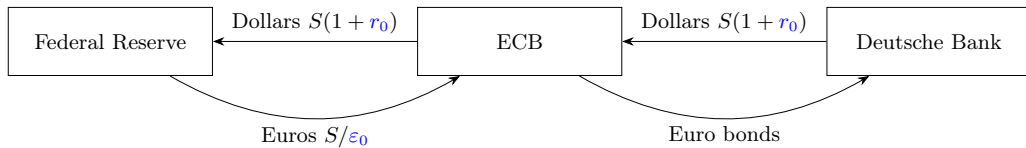
## Intermediated Dollar LoLR: How It Works

- At time  $t = 1$ :



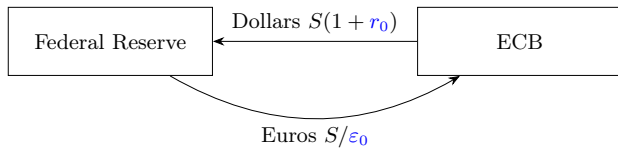
## Intermediated Dollar LoLR: How It Works

- At time  $t = 1 + m$ :



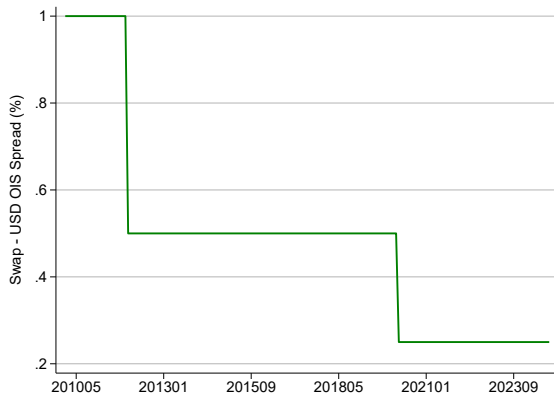
## Intermediated Dollar LoLR: How It Works

- At time  $t = 1 + m$ :



## How Does the Fed Price Dollar Swap Lines? A Markup View

- NY Fed sets:  $r_0 = \underbrace{OIS_{\$}}_{\text{marginal cost}} + \underbrace{r_{\text{Fed}}}_{\text{markup}}$  ; same for all counterpart central banks



**Stylized Fact I: Substitution between FX Swaps and Swap Lines**

## Understanding Private and Public Dollar Funding Costs

For each pair between the U.S. and a swap line country, define (recall Du/Tepper/Verdelhan 18, for example):

$$\Delta \doteq \text{Market - Swap Line Spread} = \underbrace{(1 + OIS_{\$}) \frac{F_{\$}}{\varepsilon_{\$}} - 1}_{\text{market dollar funding cost}} - \underbrace{(OIS_{\$} + r_{\text{Fed}})}_{\text{swap line dollar funding cost}} \quad (1)$$

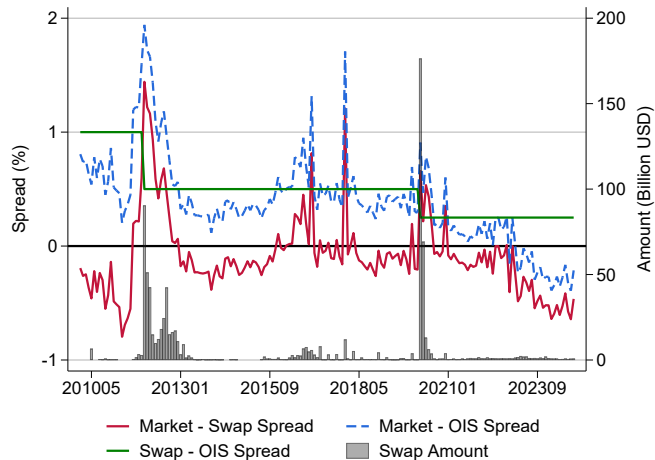
and

$$r_{\text{basis}, \text{€}, \$} = (1 + OIS_{\$}) \frac{F_{\$}}{\varepsilon_{\$}} - (1 + OIS_{\text{€}}). \quad (2)$$

Plugging (2) into (1) to replace  $F_{\$}/\varepsilon_{\$}$ :

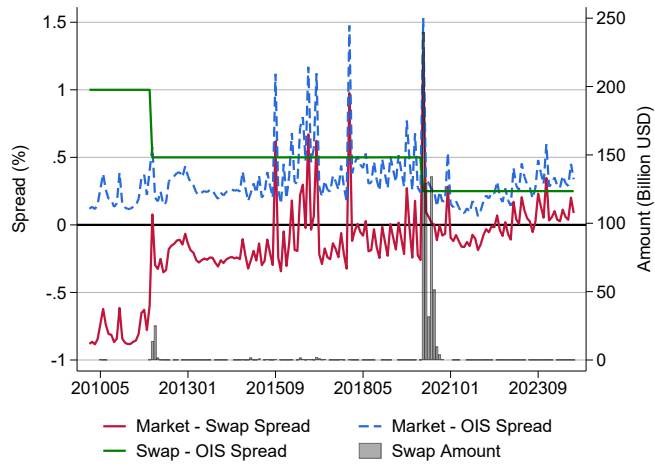
$$\Delta \doteq \text{Market - Swap Line Spread} = \underbrace{(OIS_{\text{€}} + r_{\text{basis}, \text{€}, \$})}_{\text{market dollar funding cost}} - \underbrace{(OIS_{\$} + r_{\text{Fed}})}_{\text{swap line dollar funding cost}}$$

# Market v.s. Fed: A View of Prices and Quantities (Euro Zone)



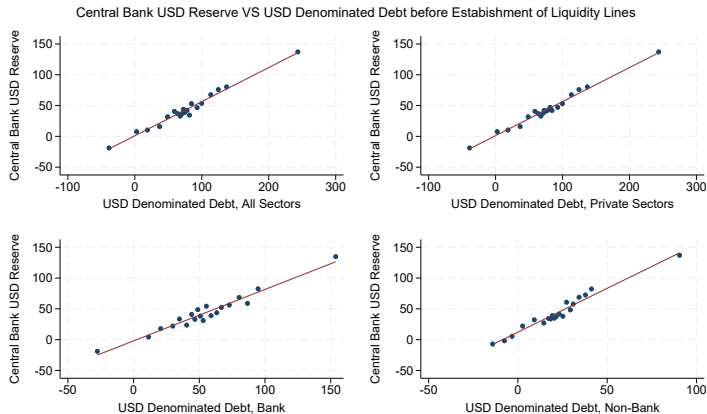


# Market v.s. Fed: A View of Prices and Quantities (Japan)



**Stylized Fact II: Substitution between CB Reserves and Swap Lines**

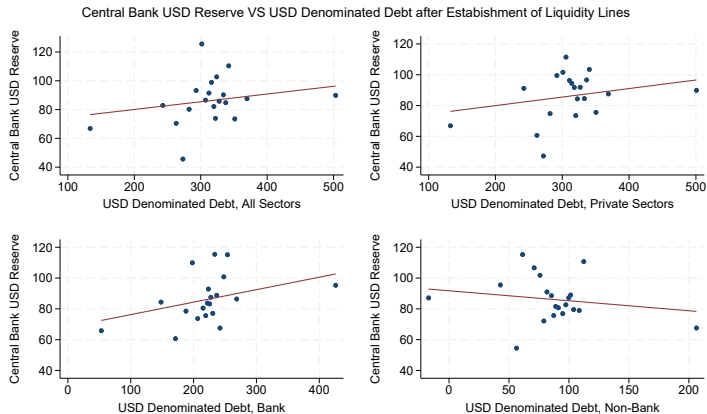
## Reserves against Dollar Debt before Dollar LoLR



Data sources: Chinn/Ito/McCauley, IMF, BIS, Bahaj/Fuchs/Reis (swap + FIMA)

- USD-denominated debt  $\uparrow \Rightarrow$  Foreign central bank dollar reserves  $\uparrow$

## Reserves against Dollar Debt after Dollar LoLR



Data sources: Chinn/Ito/McCauley, IMF, BIS, Bahaj/Fuchs/Reis (swap + FIMA)

- But relationship gone after establishment of dollar LoLR

## USD Reserves v.s. USD Denominated Debt: Regressions

**Table:** USD Reserves v.s. USD Denominated Debt before Liquidity Lines

	(1)	(2)	(3)	(4)
	All	Private	Banks	Nonbanks
USD-Denominated Debt	0.55*** (0.02)	0.55*** (0.02)	0.83*** (0.03)	1.42*** (0.05)
Country FE	Yes	Yes	Yes	Yes
Year FE	Yes	Yes	Yes	Yes
N	149	149	149	149
Adjusted R <sup>2</sup>	0.952	0.952	0.935	0.952

**Table:** USD Reserves v.s. USD Denominated Debt after Liquidity Lines

	(1)	(2)	(3)	(4)
	All	Private	Banks	Nonbanks
USD-Denominated Debt	0.05 (0.04)	0.06 (0.04)	0.08 (0.06)	-0.06 (0.10)
Country FE	Yes	Yes	Yes	Yes
Year FE	Yes	Yes	Yes	Yes
N	160	160	160	160
Adjusted R <sup>2</sup>	0.866	0.867	0.868	0.866

## Taking Stock: From Dollar Safty to Treasury Fragility

- So far, we understand:
  - ① Dollar swap lines as dollar lending of last resort
  - ② Dollar swap lines as imperfect substitution with FX swaps and foreign dollar reserves
  - ③ Dollar swap lines impact dollar debt and CB reserves in the long term
- A model of global banking and dollar LoLR encompassing both short- and long-term effects
  - Dollar exchange rate, CIP deviation, and U.S. Treasury price
  - Foreign dollar debt issuance and foreign dollar reserves
  - Compositional changes in Treasury holdings overseas

**Model: Long-Term Implications of Intermediated Dollar LoLR**

## Setup

- Built upon Lorenzoni 08; extended to two-country setup with asymmetry
- Three dates,  $t = 0, 1, 2$ , and two sets of countries, the U.S. and a continuum of “Japan”
  - The spot real exchange rate  $\varepsilon_{\$,1}, \varepsilon_{\$,2}$  at  $t = 1, 2$  and the real forward rate  $f_{\$}$  at  $t = 1$  are expressed in Japanese yen per \$1
- Each country: a continuum of risk-neutral banks and a central bank
  - Banks maximize their date-2 profits
  - Net world interest rate  $r^*$  for Japan and normalized to zero for the U.S.
- A sector of competitive, risk-averse global financiers (à la Gabaix/Maggiore 15)
- A single asset class in the world economy: U.S. Treasuries
  - Banks invest dollars in Treasuries according to a production function  $g(\cdot)$  which is increasing, strictly concave, and satisfies the Inada conditions
  - U.S. Treasuries mature at  $t = 2$ , unit value normalized to one dollar



## US Banks

- At  $t = 0$ , the representative U.S. bank issues dollar deposits  $b_0$  in order to invest in U.S. Treasuries:

$$q_0 = g(b_0)$$

- At  $t = 1$ , U.S. bank receives additional dollar endowment  $z_1$ , repays old deposits  $b_0$ , and issues new deposits  $b_1$
- Portfolio choice between investing domestically or abroad
  - Purchasing additional U.S. Treasuries  $\Delta q = q_1 - q_0$
  - Serve as a dollar provider to the Japanese bank by supplying  $s_1$  synthetic dollars in the FX swap market (à la Du/Tepper/Verdelhan 18)
    - Converts  $\$s_1$  to  $¥s_1\varepsilon_{\$,1}$  at the spot exchange rate  $\varepsilon_{\$,1}$
    - Enters a forward contract at the forward rate  $f_{\$}$
    - At  $t = 2$ , returns  $¥s_1\varepsilon_{\$,1}$  to the Japanese bank and receives  $\$s_1\varepsilon_{\$,1}/f_{\$}$  in return
- Denote the net return of synthetic dollar provision by  $\mu$ ; effectively capturing CIP deviation

## US Banks

- Financial frictions
  - ① Additional fraction  $\xi$  of the arbitrage position as capital cost
  - ② Limited commitment constraint on  $b_1$ :

$$b_1 \leq \theta p + s_1$$

- At  $t = 1$ , U.S. bank faces budget constraint:

$$g^{-1}(\Delta q) + (1 + \xi)s_1 + b_0 \leq z_1 + b_1$$

- At  $t = 2$ , profit is given by

$$\Pi_2 = q_1 + (1 + \mu - \xi)s_1 - b_1$$

## Global Financiers

- At  $t = 1$ , the representative global financier analogous to the financier in Gabaix/Maggiore 15 and Itskhoki/Mukhin 21 also supplies dollars on the spot market
- At  $t = 2$ , the global financier is effectively risk-averse in that its profit is given by

$$\widehat{\Pi}_2 = (1 + r^*)d_1\varepsilon_{\$,1} - d_1\varepsilon_{\$,2} - \frac{1}{2}\psi d_1^2$$

- A value-at-risk constraint can micro-found  $\psi$
- Can define UIP deviation as:

$$\nu = (1 + r^*)\varepsilon_{\$,1} - \varepsilon_{\$,2}$$

## Japanese Banks

- At  $t = 0$ , the representative Japanese bank issues (wholesale) dollar bonds  $b_0^*$  in order to invest in U.S. Treasuries:

$$q_0^* = g(b_0^*)$$

- At  $t = 1$ , also receives additional dollar endowment  $z_1^*$ , repays old dollar bonds  $b_0^*$ , and issues new deposits  $b_1^*$  but in yen only — dollar funding shortage
- Portfolio choice between liquidating Treasuries or dollar borrowing
  - Liquidate Treasury holdings by  $\Delta q^* = q_0^* - q_1^*$  at market price  $p$
  - Issue new deposits  $b_1^*$  denominated in yen and demand  $d_1^* + s_1^*$  total dollars

$$(1 + r^*)b_0^* \leq z_1^* + \frac{b_1^*}{\varepsilon_{\$,1}} + p\Delta q^*$$

where

$$\frac{b_1^*}{\varepsilon_{\$,1}} \leq \theta^* p \text{ and } \frac{b_1^*}{\varepsilon_{\$,1}} = d_1^* + s_1^*$$

## Japanese Banks

- At  $t = 2$ , bank profit, denominated in dollars, is given by

$$\Pi_2^* = q_1^* + \left( d_1^* - \frac{d_1^* \varepsilon_{\$,1}}{\varepsilon_{\$,2}} \right) + \left( s_1^* - \frac{(1 + r^*) s_1^* \varepsilon_{\$,1}}{f_{\$}} \right) - \frac{(1 + r^*) b_1^*}{\varepsilon_{\$,2}}$$

## Market Clearing

- ① Treasury market clears at  $t = 1$ :

$$\Delta q^* = \Delta q$$

- ② FX spot market clears at  $t = 1$ :

$$d_1^* = d_1$$

- ③ Synthetic dollar market (i.e., FX swap market) clears at  $t = 1$ :

$$s_1^* = s_1$$

- Jointly pin down  $p$  for Treasuries,  $\nu$  for dollars, and  $\mu$  for FX swaps (i.e., synthetic dollars)

## Policy Tool I: BoJ Dollar Reserves

- At  $t = 0$ , BoJ taxes  $d^R$  from Japanese depositors to invest in  $q^R$  U.S. Treasuries:

$$q^R = g(d^R)$$

- At  $t = 1$ , sells them and lends to Japanese banks
- At  $t = 2$ , rebates any remaining proceeds from maturing Treasury holdings to Japanese banks
- Date-1 budget constraint of the representative Japanese bank becomes:

$$(1 + r^*)b_0^* \leq z_1^* + \frac{b_1^*}{\varepsilon_{\$,1}} + p\Delta(q^* + q^R)$$

- BoJ chooses  $d^R$  to maximize the date-2 profit of the representative bank minus the deadweight cost of taxation  $\frac{1}{2}\tau(d^R)^2$

## Policy Tool II: Fed Dollar Swap Lines

- At  $t = 1$ , Fed borrows  $s^L$  from U.S. depositors and lends to BoJ
  - Not capital or taxation costs; effectively a form of QE to foreigners
- At  $t = 2$ , Fed receives repayment of  $s^L$ ; rebated to U.S. banks
- Date-1 budget constraint of the representative Japanese bank becomes:

$$(1 + r^*)b_0^* \leq z_1^* + s^L + \frac{b_1^*}{\varepsilon_{\$,1}} + p\Delta(q^* + q^R)$$

- Fed maximizes U.S. banks' date-2 after-rebate profits
- How committed is the Fed?
  - ① Discretionary lending  $s^L$  at  $t = 1$ ; “ex-post intervention” (Farhi/Tirole 12, Bocola/Lorenzoni 20)
  - ② Optimally committed lending  $s^L(z_1, z_1^*)$  at  $t = 0$  (Kydland/Prescott 77, Barro/Gordon 83)



## The “Dash-for-Dollar” Episode

### Proposition

*For any given  $b_0$ , there exists a “dash-for-dollar” equilibrium at  $t = 1$  in which  $p < 1$ ,  $\nu > 0$ , and  $\mu > 0$  without foreign dollar reserves or dollar swap lines, if and only if the following holds:*

$$- \frac{g''(b_0)}{g'(b_0)^2} (((1 + \xi) + \xi(1 + \psi)) \theta + (1 + \psi)\theta^*) > 1 \quad (3)$$

- More severe “dash-for-dollar” when:
  - U.S. Treasury market shallower
  - Collateral constraints facing Japanese banks tighter
  - Value-at-risk constraints facing the global financier tighter
  - Capital costs for U.S. banks higher

## The Short-Term Effects of Swap Lines

### Proposition

*When condition (3) holds, a higher provision of dollar swap lines leads to a higher U.S. Treasury price  $p$ , dollar depreciation (i.e., a lower UIP deviation captured by  $\nu$ ), and a lower CIP deviation captured by  $\mu$ :*

$$\frac{\partial p}{\partial s^L} > 0, \frac{\partial \nu}{\partial s^L} < 0, \text{ and } \frac{\partial \mu}{\partial s^L} < 0. \quad (4)$$

- Larger U.S. swap line provision leads to:
  - Higher U.S. Treasury price
  - Lower UIP and CIP deviations
- Key: relaxing Japanese bank collateral constraints

# Long-Term Effects of Dollar Lending of Last Resort

## Proposition

*When the Fed designs swap lines in a discretionary manner at  $t = 1$ , Japanese banks borrow more  $b_0^*$ , purchase more U.S. Treasuries  $q_0^*$ , and the BoJ accumulates lower  $q^R$  at  $t = 0$  compared to both the case without swap lines and the first-best.*

- U.S. dollar swap line as a dollar LoLR leads to, ex-ante:
  - Excessive dollar deposit-taking by Japanese banks; higher private Treasury holdings
  - Insufficient dollar reserves by the BoJ; lower official Treasury holdings
- Key: pecuniary externalities
- Implication: inefficient redistribution of U.S. Treasury holdings
  - Rising share of Treasuries held by foreign mutual funds and hedge funds (Vissing-Jorgensen 21, Kashyap/Stein/Wallen/Younger 25)
  - Shorter liabilities and higher price elasticities (Jansen/Li/Schmid 24, Koijen/Yogo 24, Chaudhary/Fu/Zhou 25)

## Long-Term Effects of Dollar Lending of Last Resort

### Proposition

*When the Fed designs swap lines under a committed rule at  $t = 0$ , Japanese banks borrow more (less)  $b_0^*$ , purchase more (less) U.S. Treasuries  $q_0^*$ , and the BoJ accumulates lower (higher)  $q^R$  compared to the case without swap lines (with discretionary swap lines). However, the allocation does not implement the first-best.*

- A “committed” commitment helps, but can’t restore first-best

## Conclusion

- Conceptualizing dollar swap lines as intermediated dollar lending of last resort
- Short-term: dollar LoLR addressing dollar funding shortages
- Long-term: higher foreign dollar debt, lower foreign dollar reserves, and inefficient redistribution of Treasury holdings
- Does dollar LoLR ultimately help the dollar?
  - Not necessarily; time-inconsistency problem facing the Fed
  - Intermediation chains further complicate the situation
- John Connally: “Our dollar, your problem.”
- “Our dollar, our problem?”

## Appendix

## How Foreign Central Banks Distribute and Monitor Dollars

- ① What private entities are eligible?
  - Commercial banks and dealer banks
  - Non-banks generally ineligible except for brokers/dealers
- ② What collaterals are required at what haircuts?
  - (Local) government bonds or other high-quality bonds
  - Usual haircut between 5% and 10%
- ③ What mechanism is used by foreign CBs in allocating the dollars?
  - Fixed rate auction under ECB and BoJ; bidders always filled in full
  - Dutch auctions under BoE and BoK
  - Swaps happen after auctions under  $t + 1$  settlement